

Introduction to Designing Adaptive Trials: MAMS and Platform Trials



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Statistical Innovation

Outline

- The Basics
- FACTS implementation
- Advanced Topics
- Regulatory

What is a MAMS Trial?

- It would be nice if the answer was simpler and clearer cut than it is.
- The title is appealing but a bit vague, so MAMS can be taken to mean any trial with multiple stages (a.k.a. interims) and multiple arms.
 - Dose finding
 - Multi-arm phase 3
 - Umbrella trials
 - Platform trials
- BUT if we look at the original paper and the R package the term could be confined to:
 - Frequentist, Confirmatory (Type-1 FWER is controlled)
 - Multi-arm trials with multiple interims (fixed number of arms)
 - Where multiple arms might be declared successful

The start of MAMS Trial?

- The landmark MAMS / Platform Trials are:
 - STAMPEDE testing multiple treatments in prostate cancer. Started as a fixed MAMS trial in 2005 and morphed into a platform trial in 2010.
 - I-SPY 2 testing multiple treatments in neo-adjuvant breast cancer,, platform trial from the outset started in 2010.
- The first MAMS paper & tool was:
 - Patrick Royston & Daniel Bratton & Babak Choodari-Oskooei & Frederike Maria-Sophie Barthel, 2014. ["NSTAGE: Stata module for multi-arm, multi-stage \(MAMS\) trial designs for time-to-event outcomes,"](#) [Statistical Software Components](#) S457931, Boston College Department of Economics, revised 08 Apr 2023. First published 2009.
- Other tools include:
 - The R Package “MAMS” released in 2019. Jaki, T., Pallmann, P., & Magirr, D. (2019). The R Package MAMS for Designing Multi-Arm Multi-Stage Clinical Trials. *Journal of Statistical Software*, 88(4), 1-25. <https://doi.org/10.18637/jss.v088.i04>
 - East V6.4 (2016) had a limited MAMS option
 - ADDPLAN Classic 6.1.1 (2014) has a “Multiple Comparison” module that allows the design of MAMS trials.
 - FACTS V7.0 include a Platform Trial simulator.

Using the “MAMS” R package

- A trial to test 5 treatments against control (K=5), with 2 interims (so 3 stages, J=3)
 - One sided alpha 0.025
 - Power 0.9
 - Equal allocation to the treatment arms in each stage (r=1:3), allocate 2x to control compared to any treatment (r0=c(2,4,6))
 - Power the trial for a response to treatment of 1pt and to control of 0pt with and sd of 2. (delta=1, delta0=0, sd=2).
 - This means we have to set to null the default mechanism for defining the expected success which is to specify a target and minimum probability for a patient that their response to the treatment would be better than their response on control (p=NULL, p0=NULL)
 - We set the upper and lower boundaries to O'Brien Fleming (ushape="obf", lshape="obf")

```
m.obf <- mams(K=5, J=3, alpha=0.025, power=0.9, r=1:3,  
r0=c(2,4,6), delta=1, delta0=0, sd=2, p=NULL, p0=NULL,  
ushape="obf", lshape="obf")
```

Resulting Design:

- Takes a couple of minutes to complete

```
> m.obf
```

```
Design parameters for a 3 stage trial with 5 treatments
```

	Stage 1	Stage 2	Stage 3
Cumulative sample size per stage (control):	60	120	180
Cumulative sample size per stage (active):	30	60	90

```
Maximum total sample size: 630
```

	Stage 1	Stage 2	Stage 3
Upper bound:	4.444	3.142	2.566
Lower bound:	-4.444	-3.142	2.566

Need to simulate to get OCs

- Call `mams.sim()` to run the simulations
 - Run 10,000 simulations (`nsim=10000`)
 - Supply a matrix with the number of subjects in each arm at each stage (`nMat=t(m.obf$n * m.obf$rMat)`)
 - Pass in the upper and lower bounds from the design (`u=m.obf$u, l=m.obf$l`)
 - Define the result with a delta and sd, not probability of better response (`pv=NULL, delta=c(0, 0.2, 0.4, 0.6, 1), sd=1`)
 - Specify the arms to test for significance (`pctest=1:5`)

```
> m.obf.sim.null <- mams.sim(nsim=10000, nMat=t(m.obf$n * m.obf$rMat), u=m.obf$u,  
l=m.obf$l, pv=NULL, deltav=c(0, 0, 0, 0, 0), sd=2, pctest=1:5)
```

```
> m.obf.sim.lfc <- mams.sim(nsim=10000, nMat=t(m.obf$n * m.obf$rMat), u=m.obf$u,  
l=m.obf$l, pv=NULL, deltav=c(0, 0, 0, 0, 1), sd=2, pctest=1:5)
```

```
> m.obf.sim.alt <- mams.sim(nsim=10000, nMat=t(m.obf$n * m.obf$rMat), u=m.obf$u,  
l=m.obf$l, pv=NULL, deltav=c(0, 0.2, 0.4, 0.6, 1), sd=2, pctest=1:5)
```

Results

```
> m.obf.sim.null
```

Simulated error rates based on 10000 simulations

Prop. rejecting at least 1 hypothesis:	0.025
Prop. rejecting first hypothesis ($Z_1 > Z_2, \dots, Z_K$)	0.005
Prop. rejecting hypotheses 1 or 2 or 3 or 4 or 5:	0.025
Expected sample size:	629.010

```
> m.obf.sim.lcf
```

Simulated error rates based on 10000 simulations

Prop. rejecting at least 1 hypothesis:	0.907
Prop. rejecting first hypothesis ($Z_1 > Z_2, \dots, Z_K$)	0.000
Prop. rejecting hypotheses 1 or 2 or 3 or 4 or 5:	0.907
Expected sample size:	519.708

```
> m.obf.sim.alt
```

Simulated error rates based on 10000 simulations

Prop. rejecting at least 1 hypothesis:	0.921
Prop. rejecting first hypothesis ($Z_1 > Z_2, \dots, Z_K$)	0.000
Prop. rejecting hypotheses 1 or 2 or 3 or 4 or 5:	0.921
Expected sample size:	511.689

Observations

- Effectively no early stopping under the Null, (maxN=630, ASN_{H0}=629) (*This is odd, ASN_{H0} is hardly reduced at all, the package has an odd interpretation of OBF bounds for futility.)
- Type 1 error well controlled
- Power is ~0.90 as required
- Sample size under this alternate is 520 c/w max of 630 (*This too is odd, this is quite a reduction c/w Null, stopping whole study when one arm successful? Having one successful arm increasing type-1 error in other arms?)
- Normal 2 arm GS would have maximum N of 180, ASN₀ of 114.5 and ASN_{H1} of 140. To run 5 of these would have max N 900, ASN₀ of 572.5, ASN_{H1} 700 (all effective)

Limitations of the package

- OK computing boundaries & sample size for 3 stages (~2 minutes).
- To compute boundaries & sample size for 4 stages takes ~2 hours.
- To compute boundaries for 5 stage will take days. The documentation does warn of this. EAST uses an approximation that avoids this problem.
- The boundary options are very limited: O'Brien Fleming, Triangular and Pocock, user specified boundaries use a formulation that I find unusual and awkward to work with: supply the ratio of the test statistic at the different boundaries e.g.
 - ```
ushape = function(x) return(x:1)
```

|              | Stage 1 | Stage 2 | Stage 3 |
|--------------|---------|---------|---------|
| Upper bound: | 6.125   | 4.084   | 2.042   |
- Would have preferred to be able to specify Alpha and Beta spend
- No individual simulation results, and v limited OCs - in particular: no probability to reject H0 by arm & and no break down of probability of stopping at each interim by arm.

# Usual Complaint

- As is all too often in Group Sequential stats packages the s/w is misleading about the expected sample size because it fails to ask for time to endpoint and accrual rate and doesn't even warn of the problem.

# ADDPLAN

- As the MAMS paper that accompanies the MAMS R package, ADDPLAN has an “MC” module that will allow us to design multi-arm, multi-stage trials.
- How does it compare?

# Sample Size

- ADDPLAN doesn't provide a sample size calculation for the Multiple Comparison case (if we select arms at an interim - which the MC module allows - there is no closed form sample size calculation).
- So we start by sample sizing the 2 arm case...

# Simple GS for initial sample size

Maximum # of stages  
K = 3

One- or two-sided  
☐ two-sided test  
☒ one-sided test

Significance level  
 $\alpha = 0.025$

Choice of design  
Pocock's design (Delta=0.5)  
O'Brien and Fleming's design (Delta=0)  
Choose Delta  
Optimum Delta  
Pampallona and Tsiatis design  
Specify alpha spending  
Specify alpha and beta spending

Power  
1 -  $\beta = 90$  %  
  
alpha: O'Brien and Fleming type,  
beta: O'Brien and Fleming type

Information rates

| Stage | 1     | 2     | 3   |
|-------|-------|-------|-----|
| Rates | 0.333 | 0.667 | 1.0 |

Effect size  
effect from 1 to 1 by 1  
  
std dev = 2

Sample size allocation  
n2/n1 = 1.0  
  
Maximum N (both groups)  
N =

Test  
☒ Two-sample t test  
☐ One-sample t test

Computation option  
☒ Variance unknown  
☐ Variance known

Type of computation  
☒ Sample size for given power  
☐ Power for given sample size

Run Display Reset Cancel

Choice of alpha and beta Spending Function

alpha spending  
☒ O'Brien and Fleming type  
☐ Pocock type  
☐ Kim and DeMets class  
☐ Hwang, Shih, DeCani class  
☐ User defined alpha spending

beta spending  
☒ O'Brien and Fleming type  
☐ Pocock type  
☐ Kim and DeMets class  
☐ Hwang, Shih, DeCani class  
☐ User defined beta spending

OK

3 stages  
Alpha 0.025  
Power 0.9  
Alpha and beta spending  
stopping, using "OBF like"  
boundaries.  
Equal allocation  
Just look sample size for  
effect size of 1 with SD of 2.

# Resulting Design and sample size

| Plan 1 Means      |                                  |
|-------------------|----------------------------------|
| alpha             | 0.025                            |
| Futility stops    | [95, 1.002]                      |
| tails             | 1                                |
| K                 | 3                                |
| Design            | alpha: O/F<br>type,<br>beta: O/F |
| Information rates | equal                            |
| Hypothesis        | diff<=0                          |
| Parameters        | diff=1<br>std=2                  |
| Power %           | 90.0                             |
| Total ASN H0      | 114.5                            |
| Total ASN H01     | 147.7                            |
| Total ASN H1      | 139.9                            |
| Total maximum N   | 180.2                            |
| Allocation        | 1                                |

Plan 1  
Two-Sample t Test (One-Sided)  
Null hypothesis H0:  $\mu_2 - \mu_1 \leq 0$   
Non-binding stopping for futility bounds as specified in the table below.

A design with a maximum of K = 3 stages was chosen.  
The critical values and the test characteristics of the group sequential test design were calculated for an O'Brien and Fleming type alpha spending function, and an O'Brien and Fleming type beta spending function.  
For specified alpha = 0.025, effect  $\mu_2 - \mu_1 = 1$  and standard deviation sigma = 2 the power (1 - beta) is 90.0% if the test stages consist of the sample sizes given in the last two columns of the table.  
The computation assumes an allocation ratio ( $n_2/n_1$ ) = 1.0.  
This yields a total of 90.1 + 90.1 = 180.2 observations.  
For comparison, the sample size in a fixed sample size design is  $n_1 = 85.0$ ,  $n_2 = 85.0$ .  
Thus, the maximum sample size in the group sequential test design is 1.059 times the sample size in a fixed sample size design.  
The expected (average) total sample size under the alternative hypothesis is 139.9, under a value midway between H0 and H1 it is 147.7, and under the null hypothesis it is 114.5.

| Inform. rate | bounds accept H0 | bounds reject H0 | sign.level one-sided | alpha spent | beta spent | power achieved | stage n1 | sizes n2 |
|--------------|------------------|------------------|----------------------|-------------|------------|----------------|----------|----------|
| 0.333        | -0.695           | 3.710            | 0.0001               | 0.0001      | 0.0044     | 0.0372         | 30.0     | 30.0     |
| 0.667        | 1.002            | 2.511            | 0.0060               | 0.0060      | 0.0440     | 0.5845         | 30.0     | 30.0     |
| 1.0          | 1.993            | 1.993            | 0.0231               | 0.0250      | 0.1000     | 0.9000         | 30.0     | 30.0     |

The “OBF – like” alpha and beta bounds are quite different from MAMS.

Sample size is 30 per arm per stage

# Now we can enter our initial MC design

The screenshot shows the 'Sequential Design' tab of a software interface. The 'Procedures' tab is selected. The interface is divided into several sections:

- # of stages:** K = 3 (dropdown)
- # of test arms:** G = 5 (dropdown)
- Significance level:**  $\alpha = 0.025$  (text input)
- Test strategy:**
  - ☒ Flexible combination test
  - ☐ Adaptive Dunnett
  - ☐ Separate Phase II/Phase III
  - ☐ One stage (only selection at interim)
- Combination test:**
  - ☒ Inverse normal method
  - ☐ Fisher's combination test
- Intersection test:**
  - ☒ Dunnett
  - ☐ Bonferroni
  - ☐ Sidak
  - ☐ Simes
  - ☐ A priori hierarchical (no adjustment)
- Computation option:**
  - ☒ Unknown variances
  - ☐ Known variances
- Simulation specification:**
  - 
  - Seed =
  - Simulation iterations =

3 stages

5 treatment arms

Alpha 0.025

Use Flexible combination test using inverse Normal across the stages

Use Dunnett adjustment for multiplicity from multiple arms.

Unknown variance



# Boundaries

Procedures Sequential Design Parameters Selection Sample Size

# of stages  
K = 3

Group Sequential Design Fisher's Combination Test

Power  
 $1 - \beta = 90\%$

Choice of design  
Pocock's design (Delta=0.5)  
O'Brien and Fleming's design (Delta=0)  
Choose Delta  
Optimum Delta  
Pampallona and Tsiatis design  
Specify alpha spending  
**Specify alpha and beta spending**

Information rates

| Stage | 1     | 2     | 3   |
|-------|-------|-------|-----|
| Rates | 0.333 | 0.667 | 1.0 |

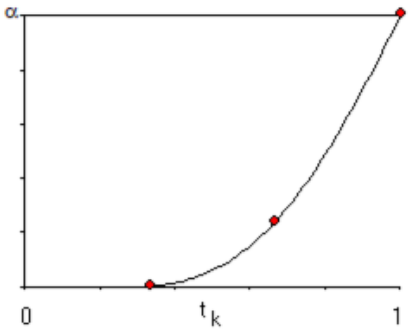
alpha: O'Brien and Fleming type,  
beta: O'Brien and Fleming type

☐ No interim stops

Choice of alpha and beta Spending Function

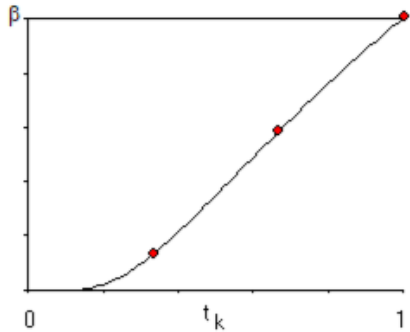
**alpha spending**

- ☒ O'Brien and Fleming type
- ☐ Pocock type
- ☐ Kim and DeMets class
- ☐ Hwang, Shih, DeCani class
- ☐ User defined alpha spending



**beta spending**

- ☒ O'Brien and Fleming type
- ☐ Pocock type
- ☐ Kim and DeMets class
- ☐ Hwang, Shih, DeCani class
- ☐ User defined beta spending



OK

We retain the “OBF like” Alpha and Beta spending boundaries.

# Simulation parameters

Procedures Sequential Design **Parameters** Selection Sample Size

# of test arms  
G = 5

Effective arm  
Arm effective if effect > 0

Effect specification  
Drift from 0 to 1 by 1  
Standard deviation = 2

Parameter shape  
☐ Linear  
☐ Quadratic  
☐ Logistic  
☐ Exponential  
☐ Emax  
☐ Sigmoid Emax  
☐ Step g  
☐ Free combination  
☐ Free combination monotone  
☒ Specify effect separately

Infile effect set  
Clear

| Arm    | 1 | 2 | 3 | 4 | 5 |
|--------|---|---|---|---|---|
| Effect | 0 | 0 | 0 | 0 | 1 |

Rather than use a model, we specify the response to simulate per arm, and variously specify:

```
0 0 0 0 0
0 0 0 0 1
0 0.2 0.4 0.6 1
```

As our Null, LFC and Alt scenarios

# Selection Rule

The screenshot shows the 'Selection' tab of a software interface. The 'Selection procedure' section has several options: 'Select the best treatment arm' (unchecked), 'Select the  $r$  best treatment arms,  $r =$  5' (checked), 'Select arm compared to the best not worse than epsilon =' (unchecked), 'Select the  $i$ th treatment arm,  $i =$  1' (checked), and 'Select the best and all higher doses' (unchecked). The 'p-q-selection rule' is also unchecked, with a table below it showing values for  $p$  and  $q$  across five columns. The 'Effect measure' section has 'treatment difference' selected. The 'Stopping for success criterion' section has 'if all selected treatments are shown superior' selected. The 'Threshold condition' section has 'Select arm unconditionally' checked. The 'Selection at interim' section has '2' selected.

|       |     |     |     |     |     |
|-------|-----|-----|-----|-----|-----|
| $p =$ | 1.0 | 0.0 | 0.0 | 0.0 | 0.0 |
| $q =$ | 1.0 | 0.0 | 0.0 | 0.0 | 0.0 |

We don't want to select arms, only stop them early individually for success or futility.

So we simply set the "select the best" rule to select the 5 best, i.e. all arms.

# Sample size

Procedures Sequential Design Parameters Selection **Sample Size**

Sample size specifications  
Preplanned sample size per selected active arm

| Stage | 1  | 2  | 3  |
|-------|----|----|----|
| n =   | 30 | 30 | 30 |

acc inf rates

Stage 1 sample size allocation nT/nC = 0.5 ☐ Optimum allocation

Control arm sample size

- ☒ According to constant allocation ratio over stages
- ☐ Equal to stage 1 sample size
- ☐ Constant randomisation probability
- ☐ Optimum allocation = sqrt(# selected treatment arms)

Sample size recalculation

- ☒ No sample size recalculation
- ☐ Sample size recalculation with conditional power
  - Maximum relative reduction n per stage = 0.5
  - Maximum relative increase n per stage = 4
    - ☒ Conditional power for next stage = 80 %
    - ☐ Overall conditional power = 80 %
  - Conditional power calculation based on
    - ☒ Observed effect (ML estimate)
    - ☐ Assumed standardized effect =
- ☐ Perform sample size reallocation

Set the sample size to 30 per active arm per stage.  
Set the treatment/control allocation ratio to 0.5  
So we get 2:1:1:1:1:1 allocation  
No sample size re-assessment

# Results - power.

| Max size stage 3 | P RejectatleastOne | P RejectEffective |
|------------------|--------------------|-------------------|
| 30               | 0.009              | 0.000             |
| 30               | 0.737              | 0.737             |
| 30               | 0.813              | 0.813             |

|    |       |       |
|----|-------|-------|
| 45 | 0.921 | 0.921 |
| 40 | 0.879 | 0.879 |
| 44 | 0.918 | 0.918 |
| 43 | 0.905 | 0.905 |

Top line is Null

Second Line is LFC “Least Favourable Configuration” (Dunnett) one arm has a response of the alternate (1 in our case) and all the others are Null.

Third line is mixed alternate (0, 0.2, 0.4, 0.6, 1)

Type-1 error is over controlled at 0.009.

Power in LFC is 0.737.

Try simulating LFC at sample sizes of 45, 40, 44, 43.

At 43 per active arm, per stage we get power of ~0.9

# Simulating at new sample size

Scenarios are: Null, LFC, Alt, All effective but 1.

|   | P Reject at least One | P Reject Effective | P Reject Ineffective |
|---|-----------------------|--------------------|----------------------|
| 1 | 0.009                 | 0.000              | 0.009                |
| 2 | 0.907                 | 0.907              | 0.015                |
| 3 | 0.950                 | 0.950              | 0.013                |
| 4 | 0.999                 | 0.999              | 0.025                |

Power in the LFC is ~0.9

Type-1 error of the 1 Null arm is 0.025

|   | P Reject arm 2 | P Reject arm 3 | P Reject arm 4 | P Reject arm 5 |
|---|----------------|----------------|----------------|----------------|
| 1 | 0.002          | 0.003          | 0.002          | 0.002          |
| 2 | 0.004          | 0.004          | 0.003          | 0.907          |
| 3 | 0.064          | 0.228          | 0.511          | 0.941          |
| 4 | 0.977          | 0.980          | 0.980          | 0.978          |

The closed testing procedure has highest FWER and highest power per arm when most arms are successful.

Frequentist borrowing?

|   | P Stop stage 1 | P Stop stage 2 | P Stop stage 3 |
|---|----------------|----------------|----------------|
| 1 | 0.245          | 0.591          | 0.164          |
| 2 | 0.014          | 0.564          | 0.422          |
| 3 | 0.002          | 0.167          | 0.831          |
| 4 | 0.000          | 0.421          | 0.578          |

|   | P Futility stage 1 | P Futility stage 2 | Total ASN |
|---|--------------------|--------------------|-----------|
| 1 | 0.245              | 0.590              | 576.8     |
| 2 | 0.009              | 0.040              | 701.4     |
| 3 | 0.002              | 0.015              | 766.5     |
| 4 | 0.000              | 0.000              | 677.9     |

We can see that the procedure is not as powerful as the MAMS procedure and has required larger sample sizes (smaller in the Null, but only because of the odd interpretation of OBF futility boundary by the MAMS package). And higher MaxN of 803

# Simulating in FACTS

- Can we import the MAMS design into FACTS and get a better understanding of it?
- Initially we use FACTS Core...
- We need to translate the boundaries reported as test statistic, into p-values:

```
> 1-pt(4.444, 29)
```

```
[1] 5.925855e-05
```

```
> 1-pt(3.142, 29)
```

```
[1] 0.001923288
```

```
> 1-pt(2.566, 29)
```

```
[1] 0.007859529
```



# FACTS Core simulation

- Study:
  - Adaptive Design
  - Continuous recruitment
  - Max subjects: 630
  - Higher response is subject improvement
  - Time to endpoint 0.1 weeks
- Treatment arms: control + 5 treatment arms
- Virtual Subject Response: Null, LFC, Alt
- Execution:
  - median accrual 5 per week,
  - no dropouts
- QOIs:
  - Bayesian Posterior  $\Pr(\theta_d > \theta_{\text{control}})$
  - P-value LOCF, unadjusted
  - Decision P-value at min p-value
  - $\Pr(\theta_d > \theta_{\text{control}})$  at max prob
- Design:
  - Independent Dose Model
  - Bayes prior for all doses  $N(0,10)$
  - Prior for sigma  $IG(2, 1)$
- Allocation 2:1:1:1:1:1
- Interims at 210 and 420 opportunity to complete



# Stopping thresholds from MAMS

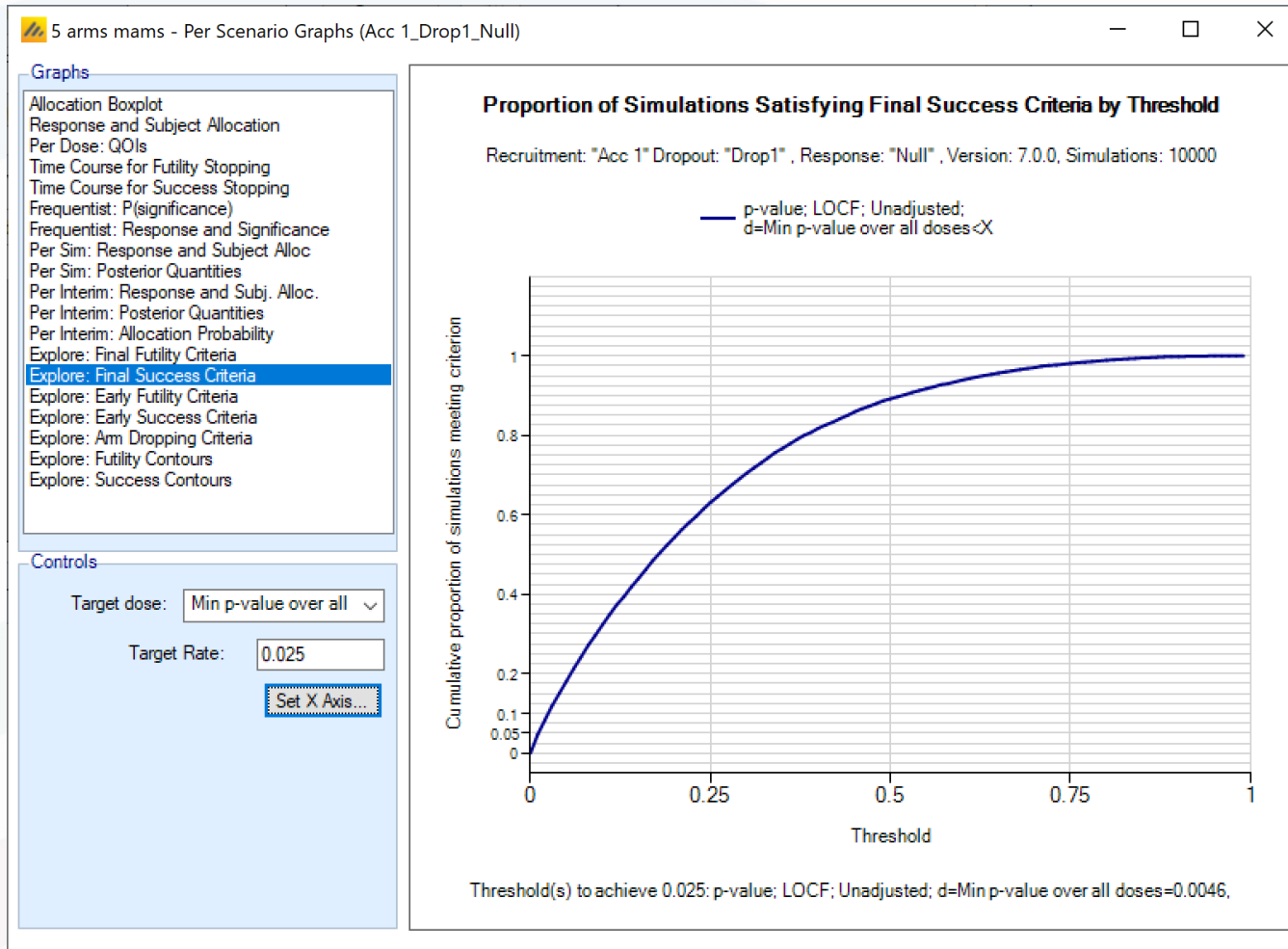
- We'll start using the MAMS thresholds converted to p-values

|          | Interim 1 | Interim 2 | Final  |
|----------|-----------|-----------|--------|
| Futility | 0.9999    | 0.998     | 0.0079 |
| Success  | 0.000059  | 0.0019    | 0.0079 |

Combined success 0.0381 in the Null, too high! And as already noted there is no early futility stopping. Also ASN is low in the alternate - in FACTS Core when one arm is successful, the trial stops. We'll need to switch to FACTS Platform Trial sim, but we'll use FACTS Core to determine our success/futility thresholds first.

|       | Num Sims | Mean Subj. | Ppn Early Success | Ppn Late Success | Ppn Late Futility | Ppn Early |
|-------|----------|------------|-------------------|------------------|-------------------|-----------|
| _Null | 10000    | 628.0088   | 0.0092            | 0.0289           | 0.9619            | 0         |
| _LCF  | 10000    | 492.9851   | 0.6076            | 0.3225           | 0.0699            | 0         |
| _Alt  | 10000    | 483.7211   | 0.6467            | 0.3002           | 0.0531            | 0         |

# Adjusting Final Success Criteria

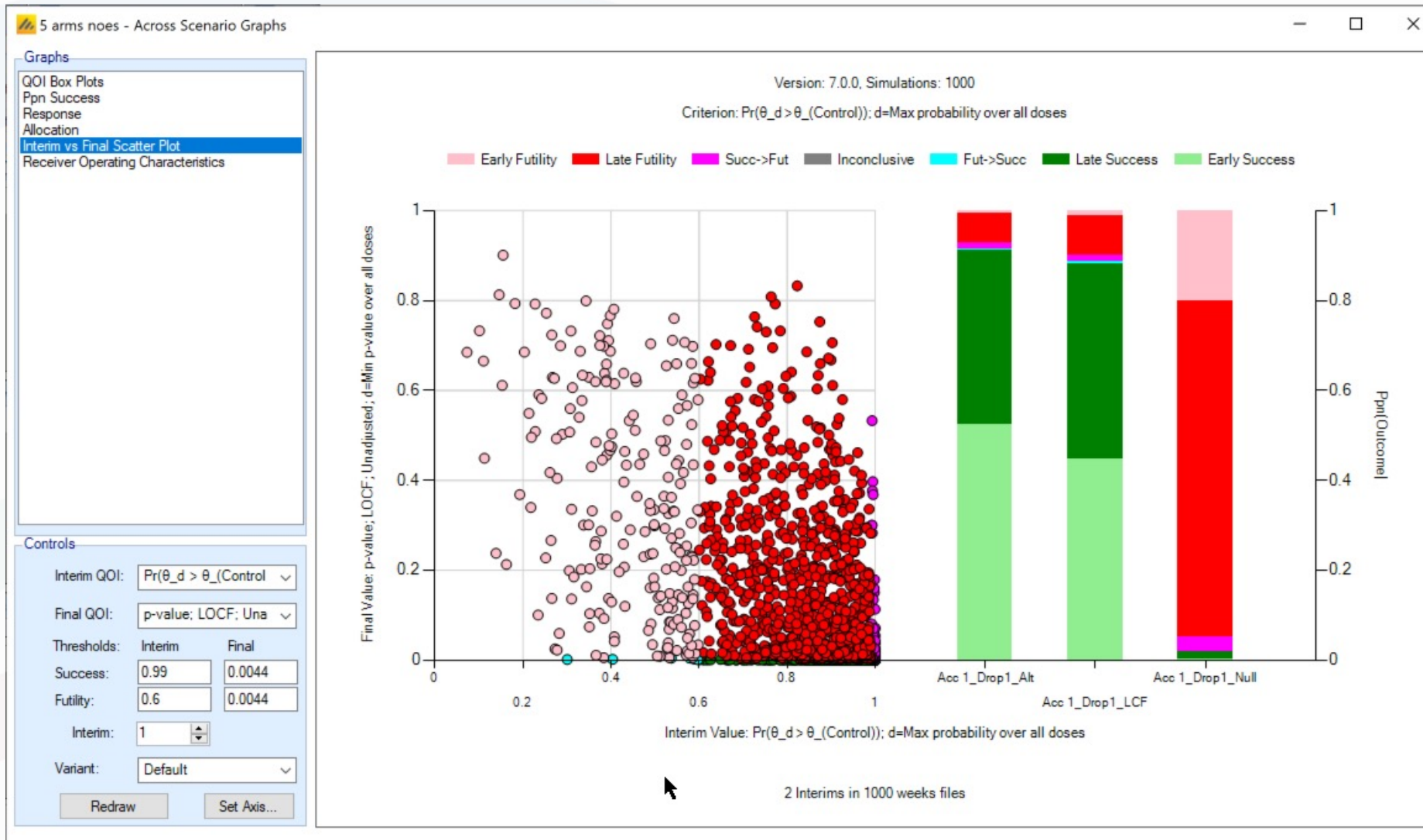


Explore: Final Success Criteria showing the Null scenario can be used to show the threshold that would limit successes to some number – here an alpha level of 0.0046 would limit (trial) success to 0.025

# Adjusting Early stopping criteria

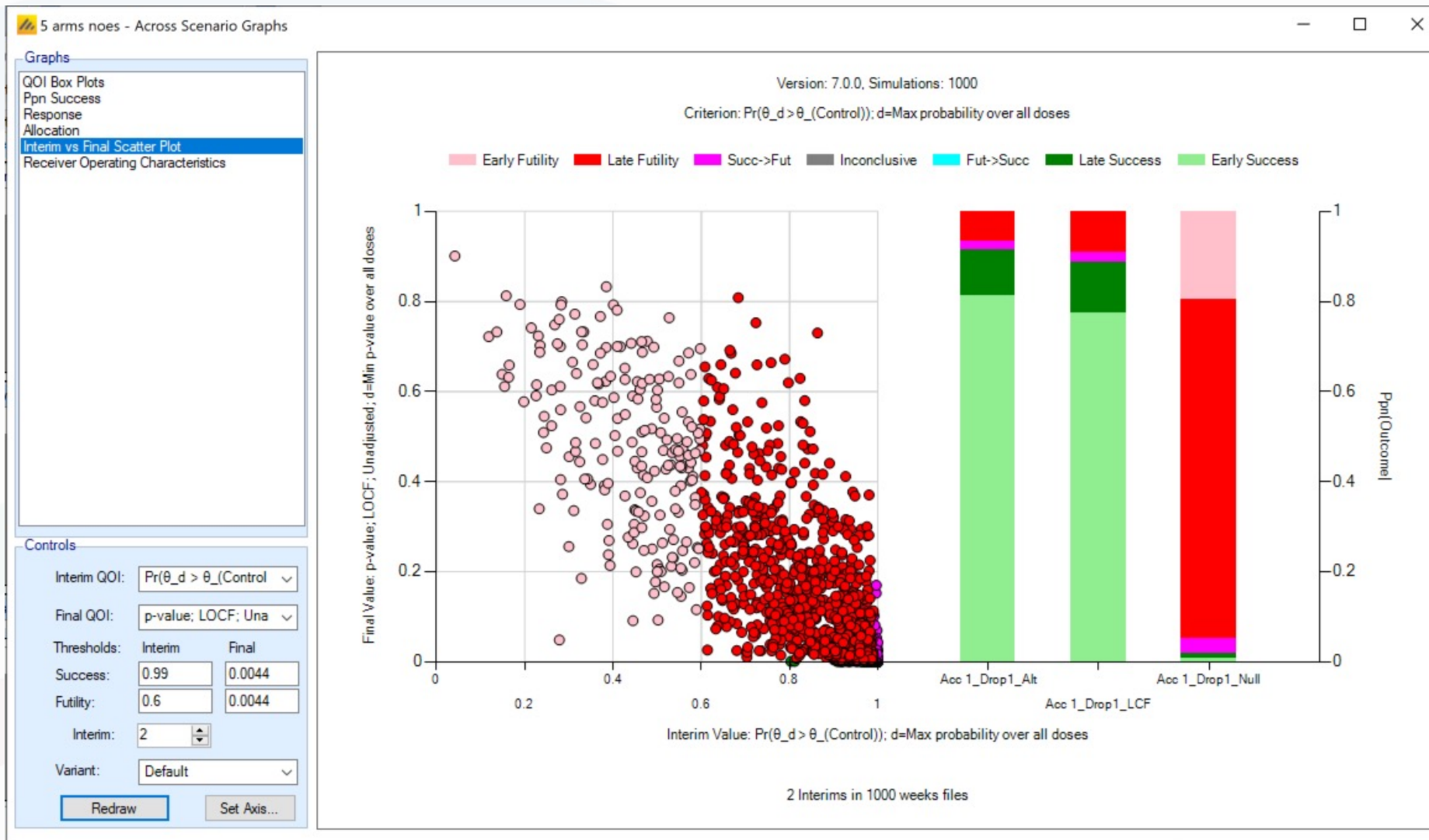
- We will use Bayesian posterior  $\Pr(\theta_d > \theta_{\text{control}})$
- Would like to use Bayesian Predictive Probability of success (Goldilocks trail design) but these are not currently available in FACTS PT

# Futility boundary interim 1



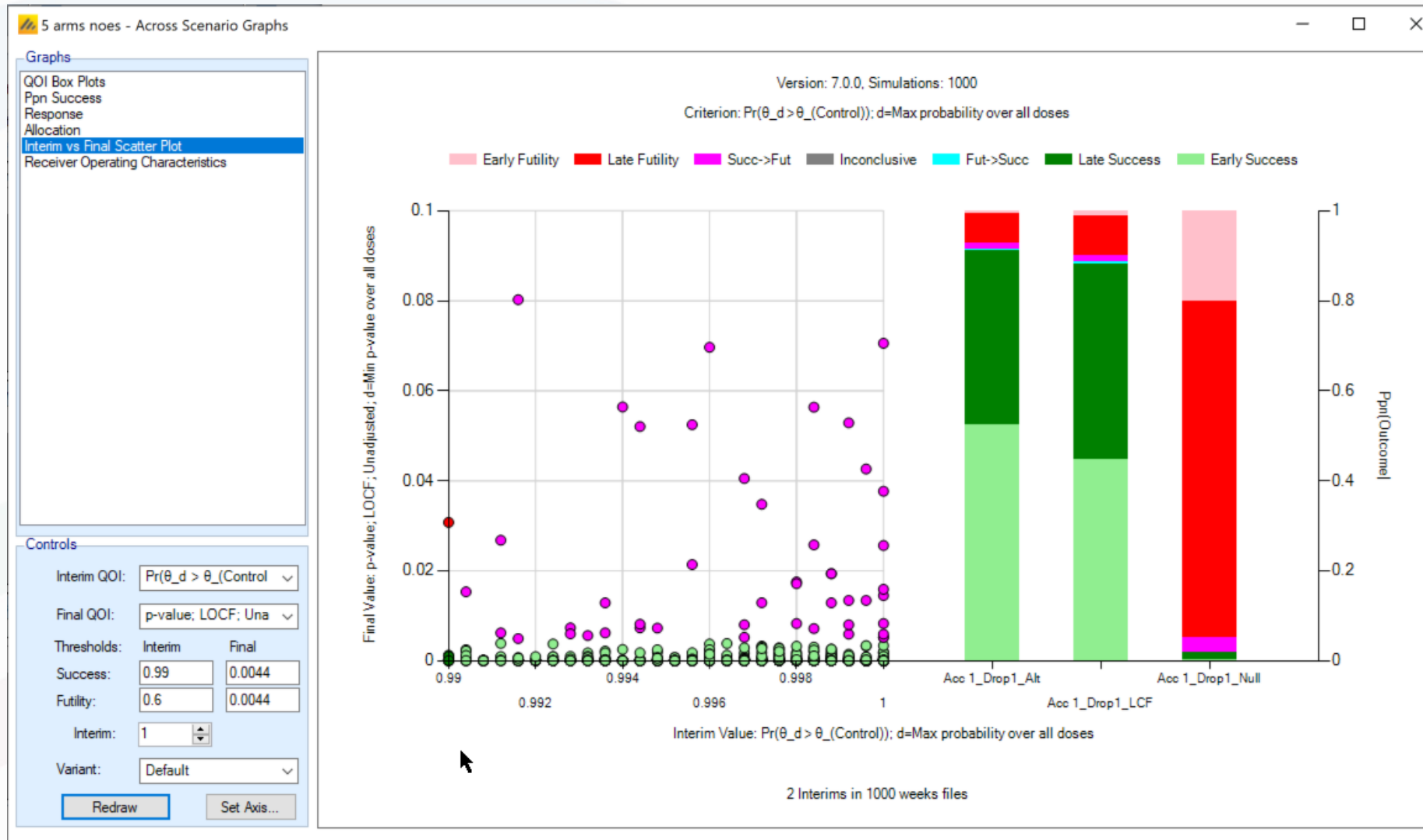
Stopping for futility at the first interim if  $\Pr(\theta_d > \theta_{\text{control}}) < 0.6$  Introduces only about 0.002-3 type-2 error

# Futility boundary interim 2



Stopping for futility at the second interim if  $\Pr(\theta_d > \theta_{\text{control}}) < 0.8$  Introduces only about 0.001 type-2 error

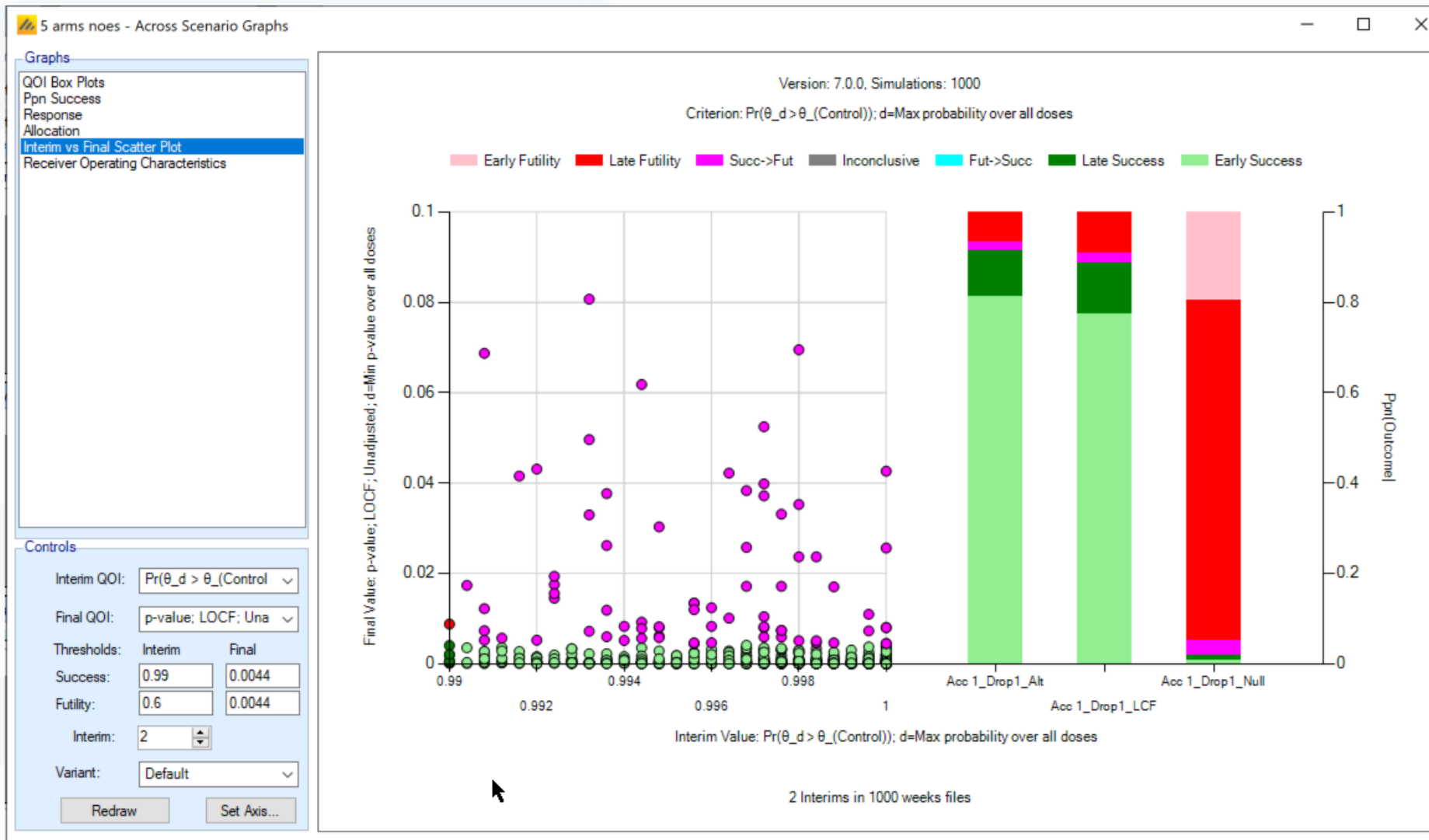
# Success boundary interim 1



Stopping for success at the first interim if  $\Pr(\theta_d > \theta_{\text{control}}) > 0.9995$  Introduces about 0.007 type-1 error. This is more than I'd have liked.



# Success boundary interim 2



Stopping for success at the second interim if  $\Pr(\theta_d > \theta_{\text{control}}) > 0.999$  Introduces about 0.006 type-1 error. Hopefully some of these are already type-1 errors at interim 1.

# Using FACTS PT Simulator

- Study:
  - Enable adaptive
  - Max participants: 636
  - Max per treatment 90
  - Max concurrent treatments
  - Time to final endpoint 0.1
- Trial arms:
  - Control plus 5 treatment arms
  - All available at time 0
- Virtual Response:
  - Treatment “Good” if  $> 0.5$
  - Treatment “Unacceptable if  $\leq 0.3$
  - Null, LFC, Alt scenarios as before
- Execution:
  - Mean accrual 5 per week
  - No Dropouts
- QOIs
  - $\Pr(\theta_d > \theta_{\text{control}})$
  - P-value, LOCF Unadjusted
- Design
  - Prior for control and treatments  $N(0,10)$
  - Prior for Sigma  $IG(2,1)$
- Allocation 2:1:1:1:1:1
- Trial updates
  - First at 210 complete
  - At 210 complete thereafter
  - Treatment milestones at 29 & 59 subjects
- Initial success/futility
  - $\Pr(\theta_d > \theta_{\text{control}}) > 0.9995$ , 0.999 p-value  $< 0.0044$
  - $\Pr(\theta_d > \theta_{\text{control}}) < 0.6$ , 0.8 p-value  $< 0.0044$



# Initial results

- Type-1 error too high
- ~5% early failures for successful arms
- 285 success in 10,000 sims of the Null, 110 early, 174 late
- Increased early thresholds to 0.9999 and 0.9995 now 86 early
- Reduced final success from 0.44, to 0.42, 0.4 then 0.38 now total success 245.
- Power in LFC 0.9 (but power with successful arm 0.88)
- Expected sample sizes: 449, 470, 528

# BUT

- Is FWER type-1 error control really necessary?
- If difference versions (strength, regimen, combinations) of a treatment then yes
- But if all v different treatments, from different sources, then these could have been 5 separate trials each with there own 0.025 type-1 error.
- In this case it is surely inconsistent to require overall FWER type-1 rate of 0.025, 0.025 per arm would be consistent
  - Of course there is some correlation due to shared control this reduces type-1 error marginally and increases the probability of multiple type-1 error (these still v v small)

# Platform Trial with 10 arms over time

- In FACTS ...

# To Conclude

- Thank You for attending
- Link to Recording will be sent out tomorrow
- Slides will be available via our website at the end of the series
- Any questions please contact us:
  - [tom@berryconsultants.com](mailto:tom@berryconsultants.com)
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- If you would like a demo and/or a free evaluation copy of FACTS
  - just ask.